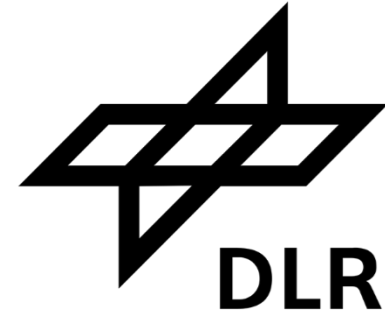




UNIVERSIDAD CARLOS III DE MADRID



DEUTSCHES ZENTRUM FÜR LUFT UND RAUMFAHRT

VALIDATION AND EXTENSION OF AN MDO FRAMEWORK INCLUDING DYNAMIC AEROELASTIC ANALYSIS

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Co-supervisor: **Francesco Torrigiani**

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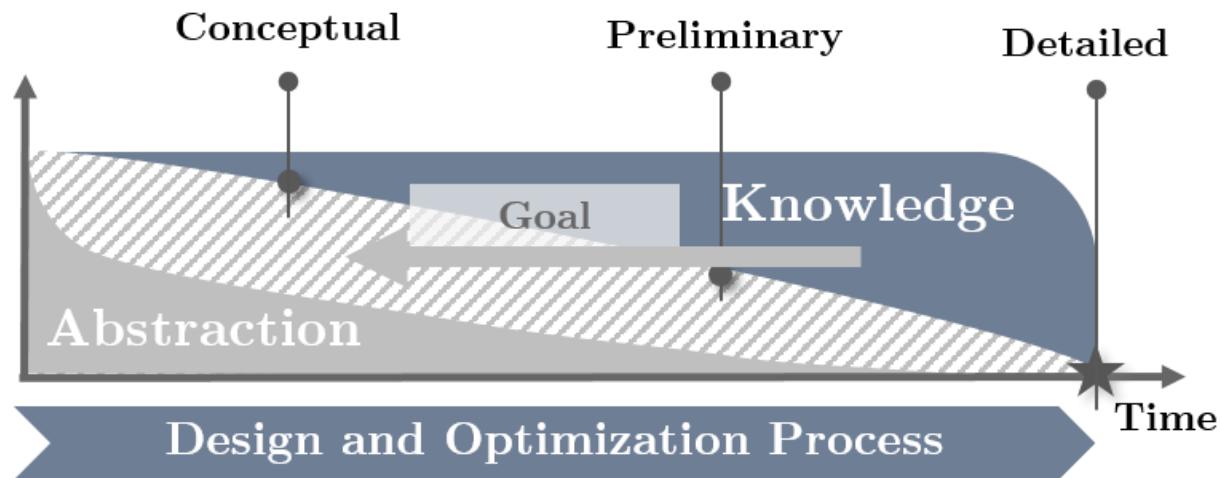
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1. INTRODUCTION

THE AIRCRAFT DESIGN PROCESS

The classic vs modern approach

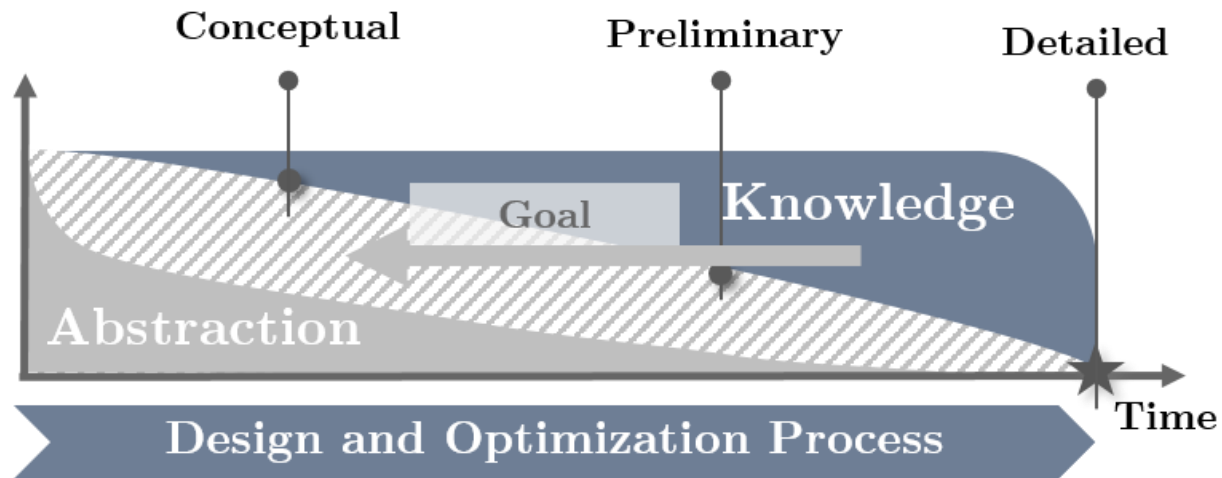


In the **classic approach**, the number of **modeling details increases with time**, being **reduced** the number of **parameters** which **can be modified**. [1]

1. INTRODUCTION

THE AIRCRAFT DESIGN PROCESS

The classic vs modern approach



Modern approach challenges

Automatization

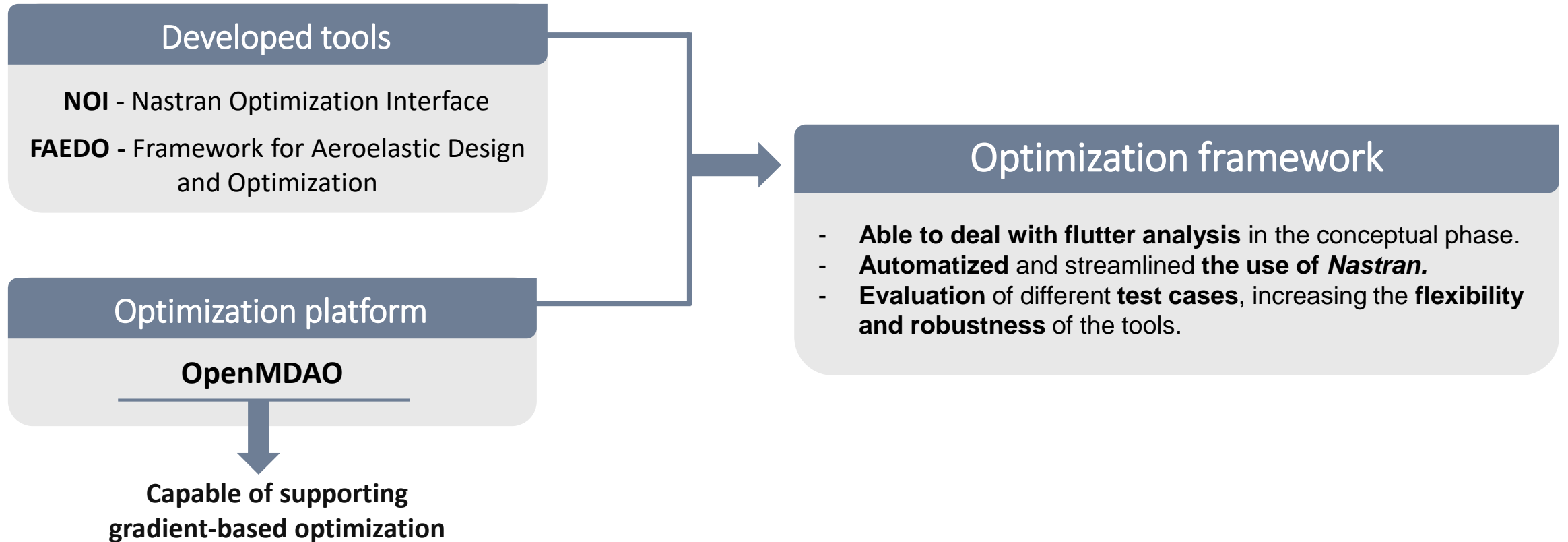
Robustness

Modern aircraft design approaches try to **increase the level of details** and **fidelity** in the **early phase** of the design process. [2]

Reducing the design
process time and cost

1. INTRODUCTION

THE PURPOSE OF THE THESIS



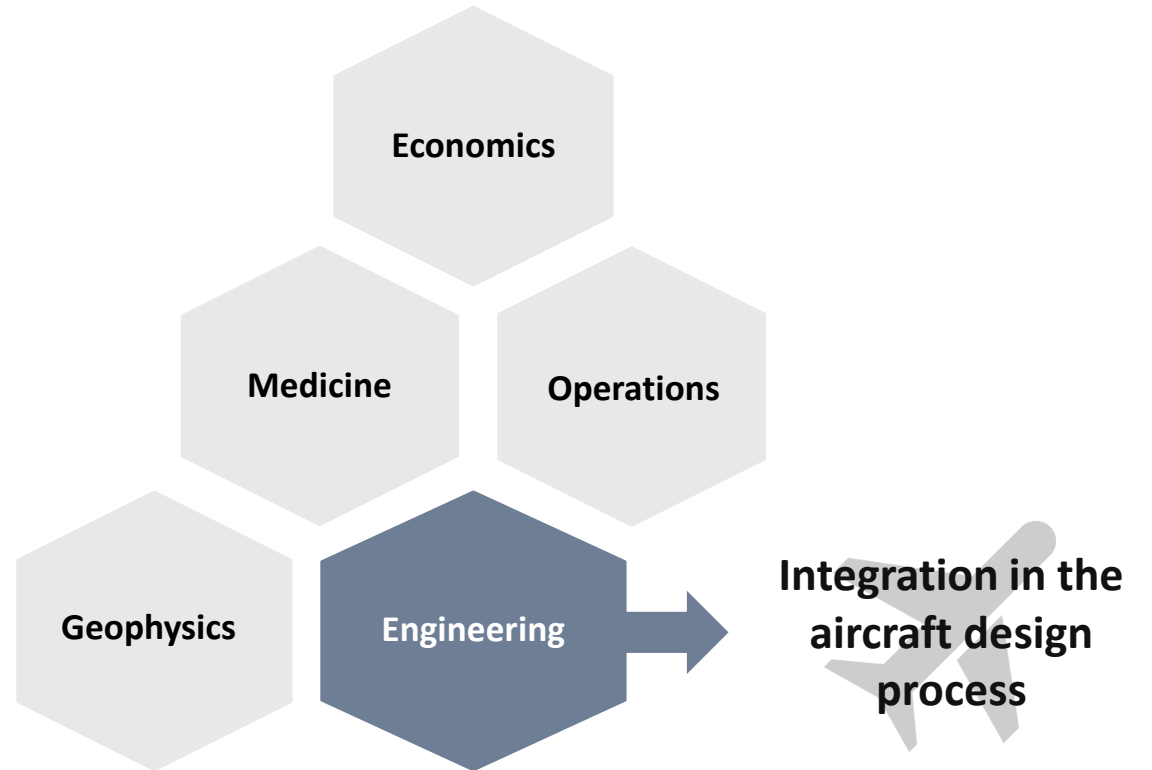
1. INTRODUCTION

THE OPTIMIZATION PROBLEM

Optimization

The **aim of optimization** is to achieve the "**best**" design relative to a set of **prioritized criteria or constraints**. [3]

$$\left\{ \begin{array}{l} \text{Minimize } f(x, y) \text{ with respect to } x \text{ and } y \\ \text{Subject to } \left\{ \begin{array}{l} \text{Behavioral constraints on } y \\ \text{Design constraints on } x \\ \text{Equilibrium constraints} \end{array} \right. \end{array} \right.$$



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Formulation

Objective function (f): Denotes the function that points out the goodness of the design. Usually f indicates the weight, stress or displacement in the structure.

Design variables (x): The design variables can be a function or a vector that represents the design. They are usually related to a geometry feature or even to a choice of material.

State variables (y): Conform the responses of the problem for a given design condition. In structural optimization state variables are mainly related to stresses, strains, or forces.

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Sensitivity analysis

- Provides the **variation of the responses with respect to the design variables**.
- Allows identifying **how a certain change in a design variable may impact the product**.
- Serves as an input to **guide the optimizer in the proper direction**.

$$\lambda_{ij} = \left. \frac{\partial g_i}{\partial x_j} \right|_{x^0}$$

2. NOI

NASTRAN OPTIMIZATION INTERFACE

What is NOI?

Nastran Optimization Interface, also known as NOI, is a self-developed *Python* tool that provides the capability of **writing *Nastran* optimization, modal and flutter input files** given the finite element or design model description.



2. NOI

NOI's modules

BDFWriter.py

XBDF

Class developed to exploit the creation of different types of BDF files incorporates modal, static, flutter and optimization solution sequences.

OP2Reader.py

XOP2

Extension of the OP2 class in order to provide support for the modal, static and sensitivity analysis results stored in an OP2 file.

F06Reader.py

XF06

Module that expands the F06 results handling capabilities. Includes the possibility to represent V-g, V-f and root locus plots of flutter results.

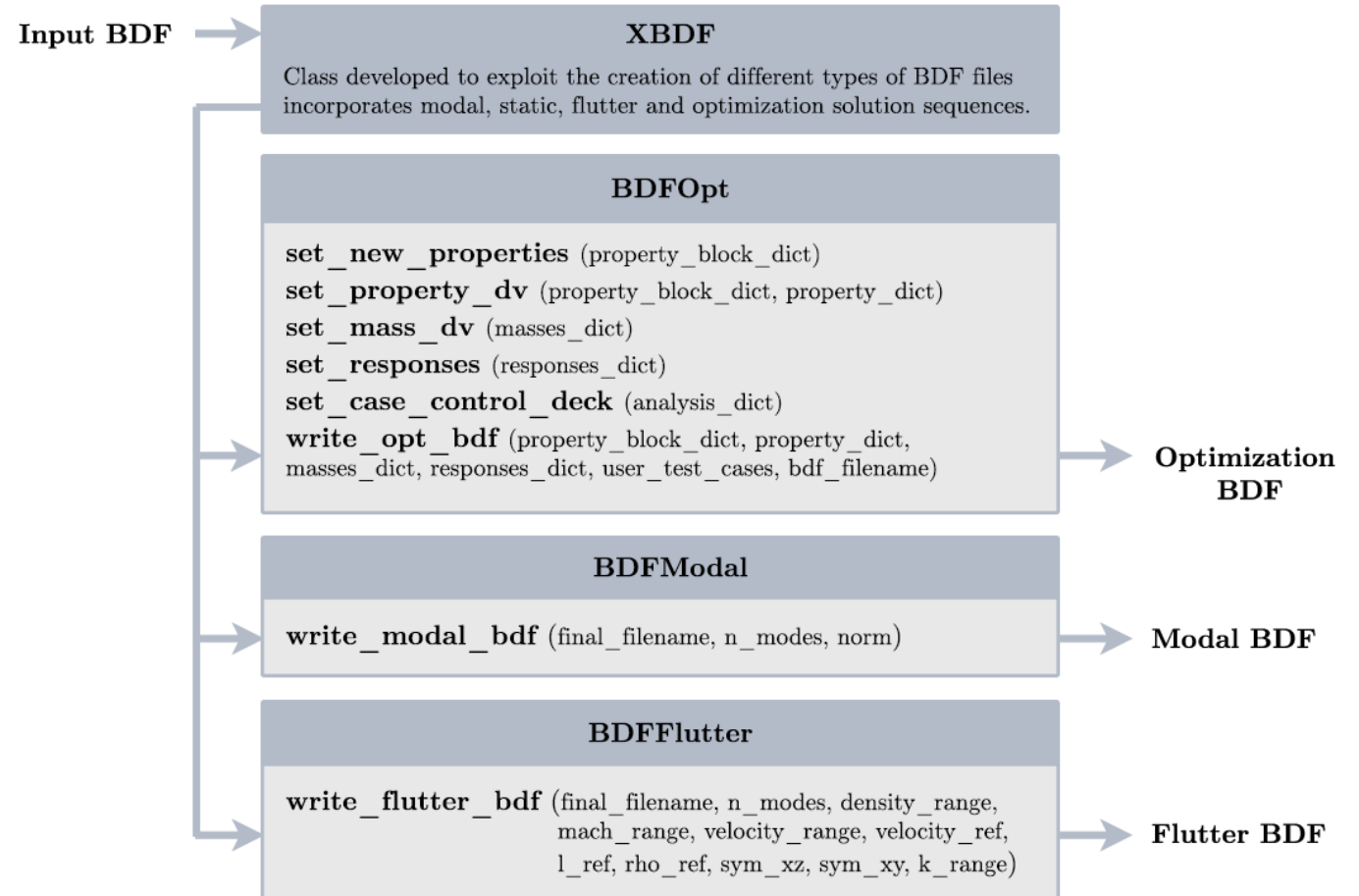
2. NOI

CREATION OF *NASTRAN* INPUT FILES

BDFOpt

- Focus on the **optimization input file** creation.
- Possibility to define **size design variables**.
- Accounts for **modal and static analysis**.
- Requires a set of **user-defined dictionaries**.

Definition of objective
function, responses and
design variables



2. NOI

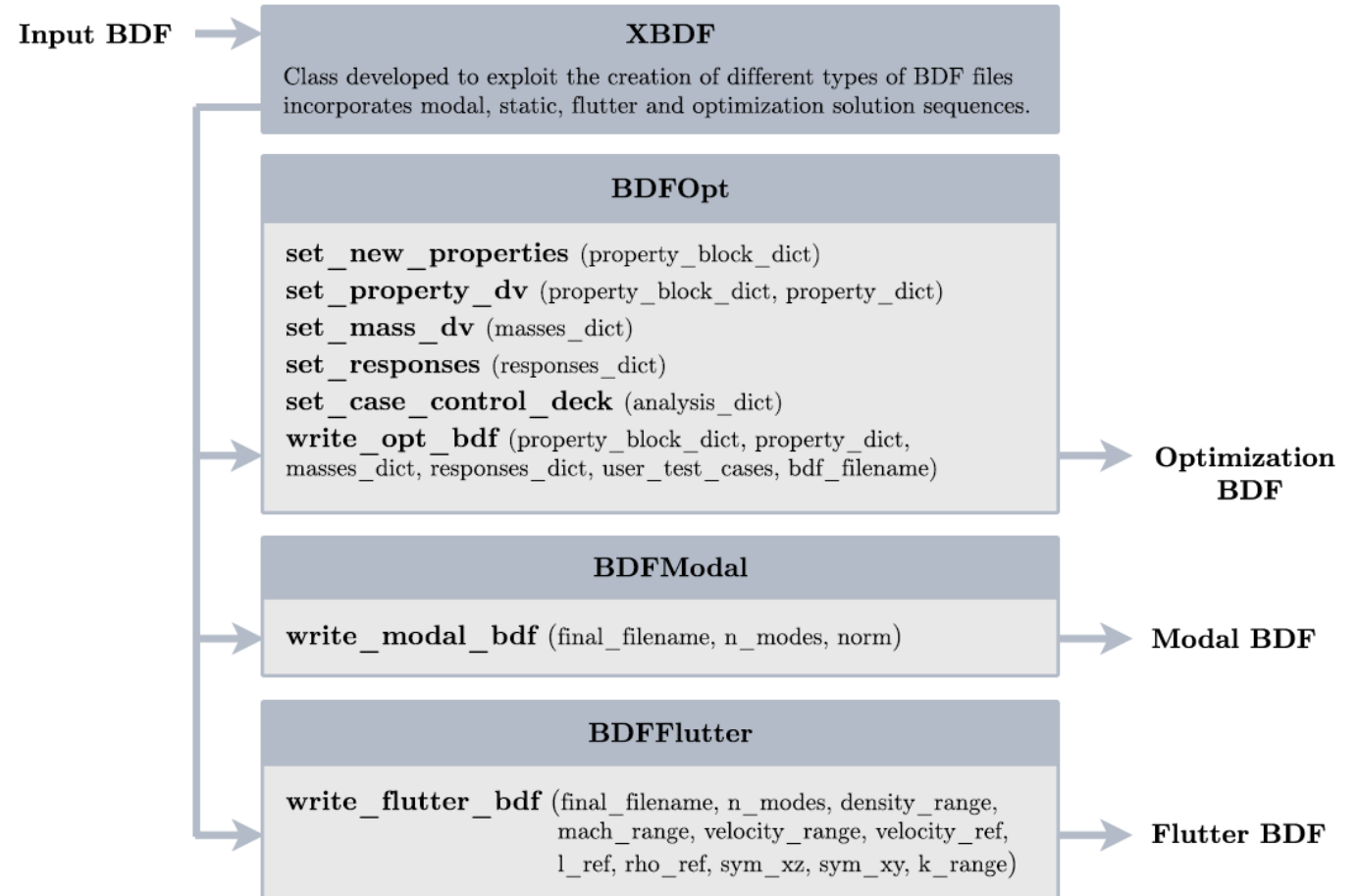
CREATION OF *NASTRAN* INPUT FILES

BDFModal

- Able to create **modal input files**.
- Possibility to **define the number of modes** and **normalization method** of eigenvectors.

BDFFlutter

- Outputs **flutter input files**.
- Allows specifying the **flutter analysis parameters** such as speed range and reference magnitudes.



2. NOI

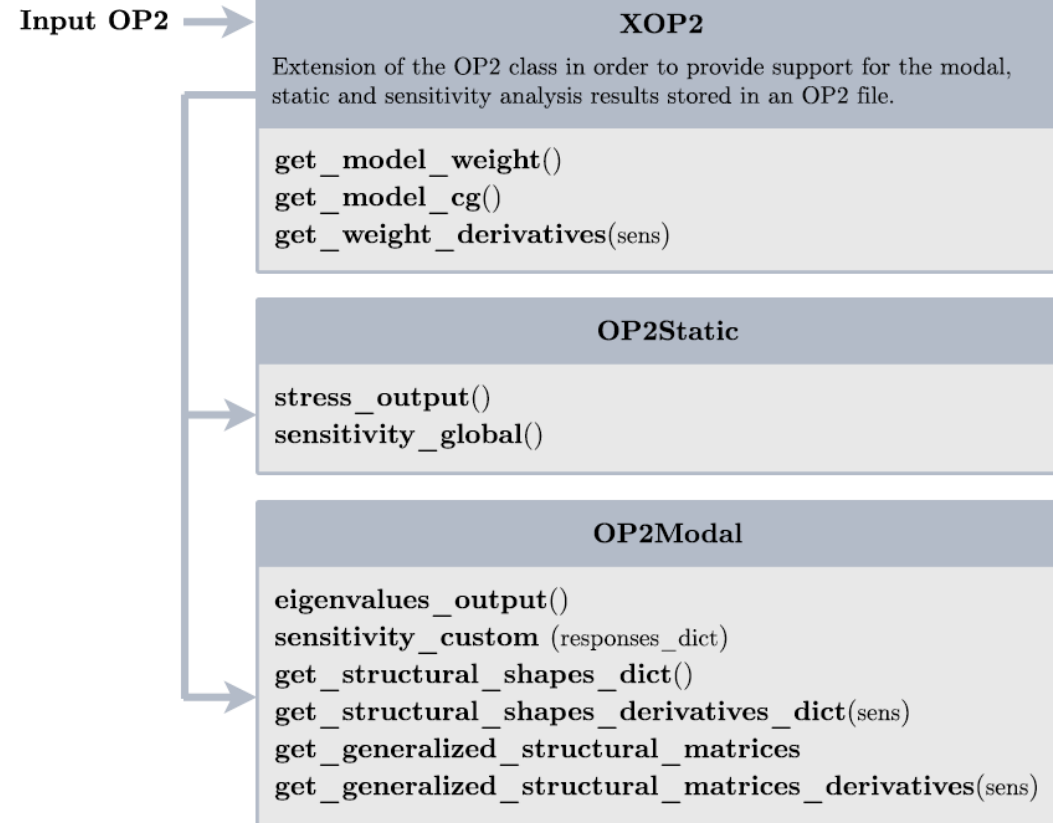
POST-PROCESSING OF RESULTS

OP2Static

- **Stores the stress results** when a static analysis has been performed.
- Accounts for the **global sensitivity matrix**.

OP2Modal

- Outputs the **eigenvalues and eigenvectors**.
- Stores the **sorted version of the sensitivity matrix**.
- Post-processing of the **structural matrices**.

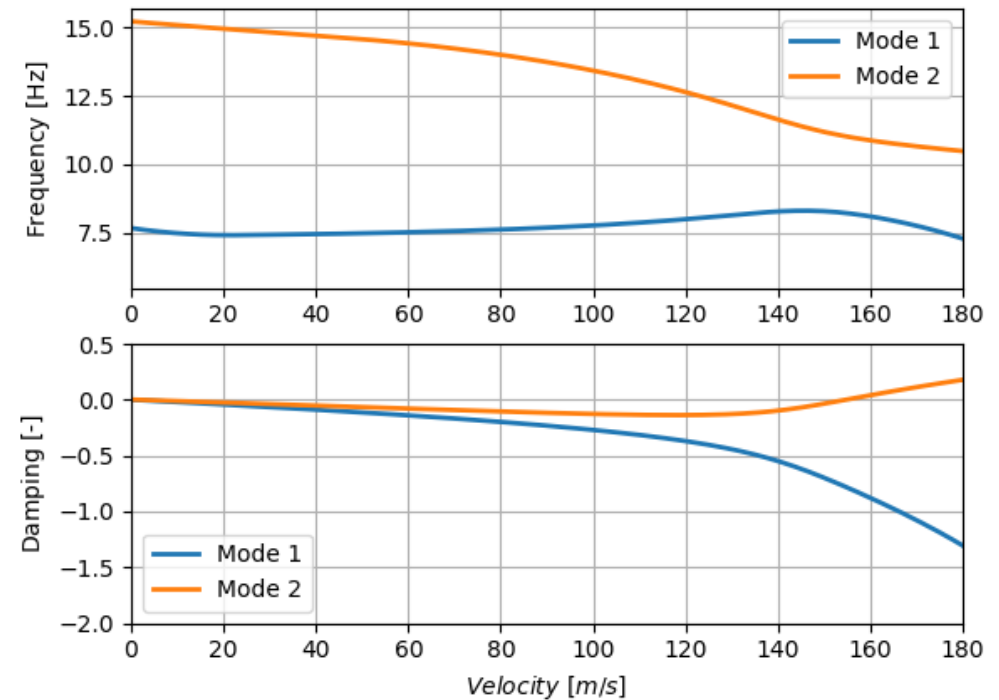


2. NOI

POST-PROCESSING OF FLUTTER RESULTS

XF06

- Eases the task of **post-processing** the *Nastran* flutter analysis results.
- Capable of **representing the root locus**.
- Possibility to **display the V-g and V-f plots**.



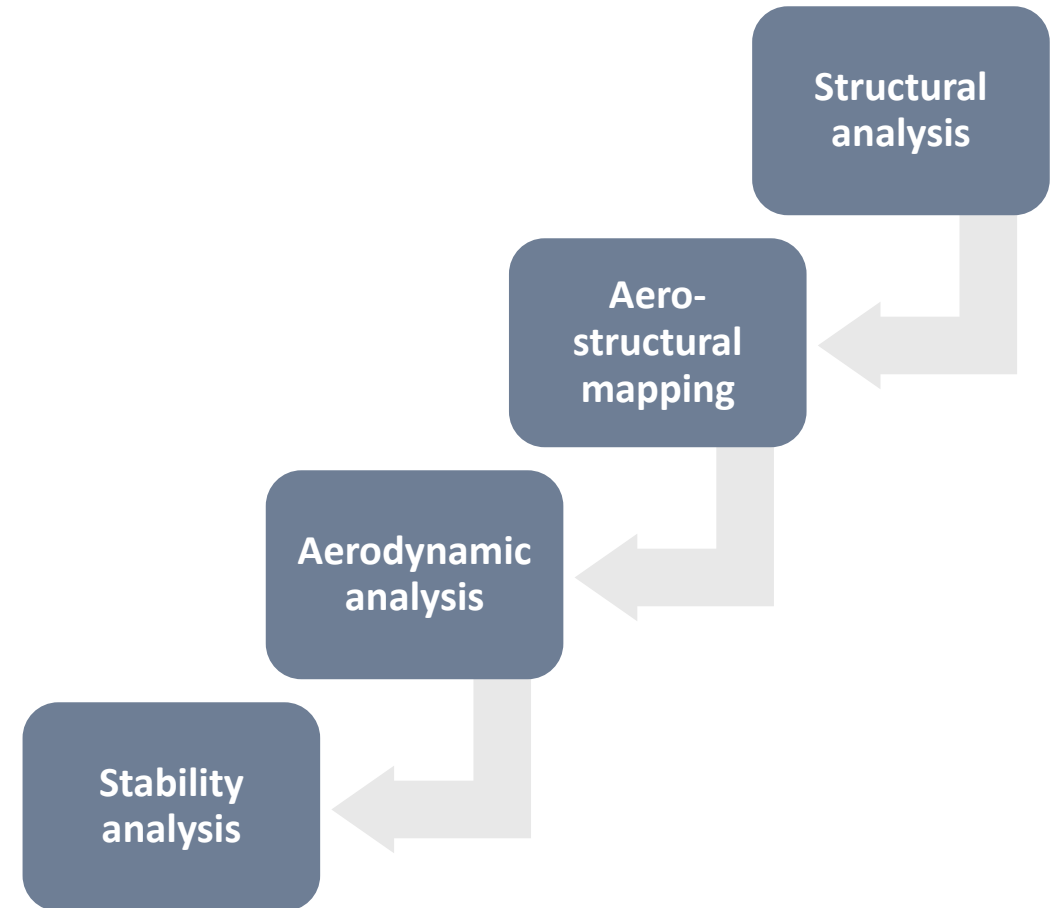
Goland wing V-g V-f plots obtained with the XF06 class [4]

3. FAEDO

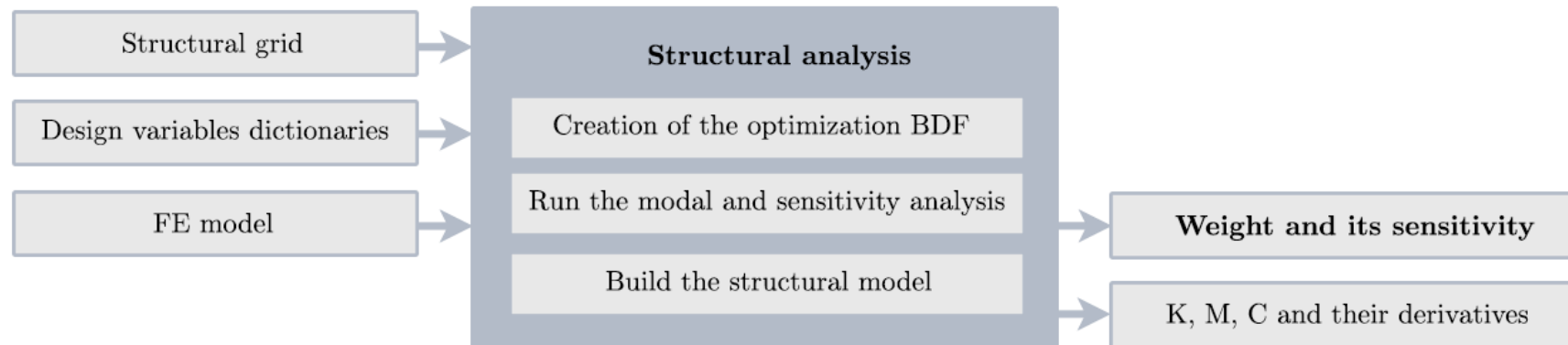
Framework for Aeroelastic Design and Optimization

What is FAEDO?

Framework for Aeroelastic Design and Optimization, also known as FAEDO, is a *Python* tool that provides the capability of **carrying out an optimization process considering an aeroelastic constraint**.



Integration of NOI in order to solve for the **modal and sensitivity analysis** of the FE model and to post-process the structural matrices.

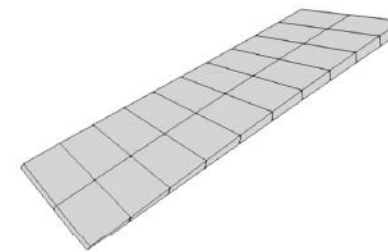
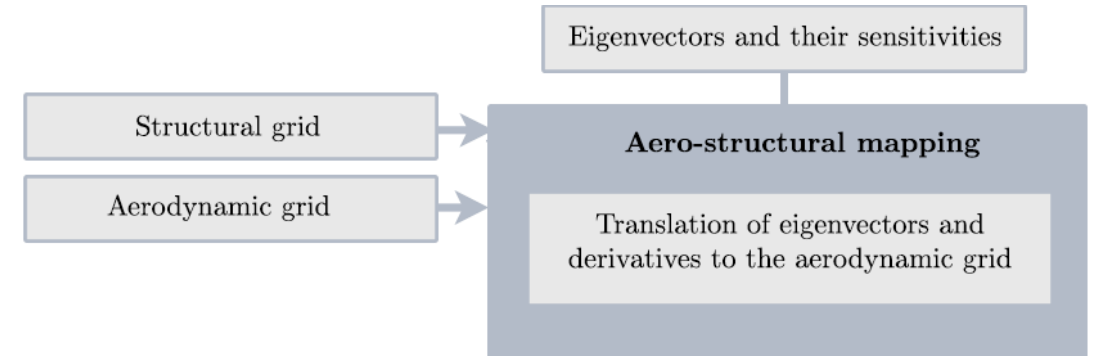


3. FAEDO

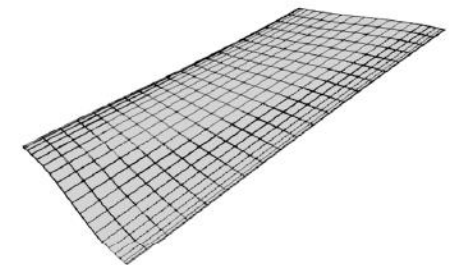
AERO-STRUCTURAL MAPPING

This section of FAEDO **performs a mapping** of the structural modal displacements, and sensitivities, to **the aerodynamic grid** of the geometry.

- Requires the **aerodynamic and structural grids**.
- The **eigenvectors** computed in the structural analysis block **must be provided**.
- Uses a **Infinite Plate Spline method**. [5]



(a) Structural grid



(b) Aerodynamic grid

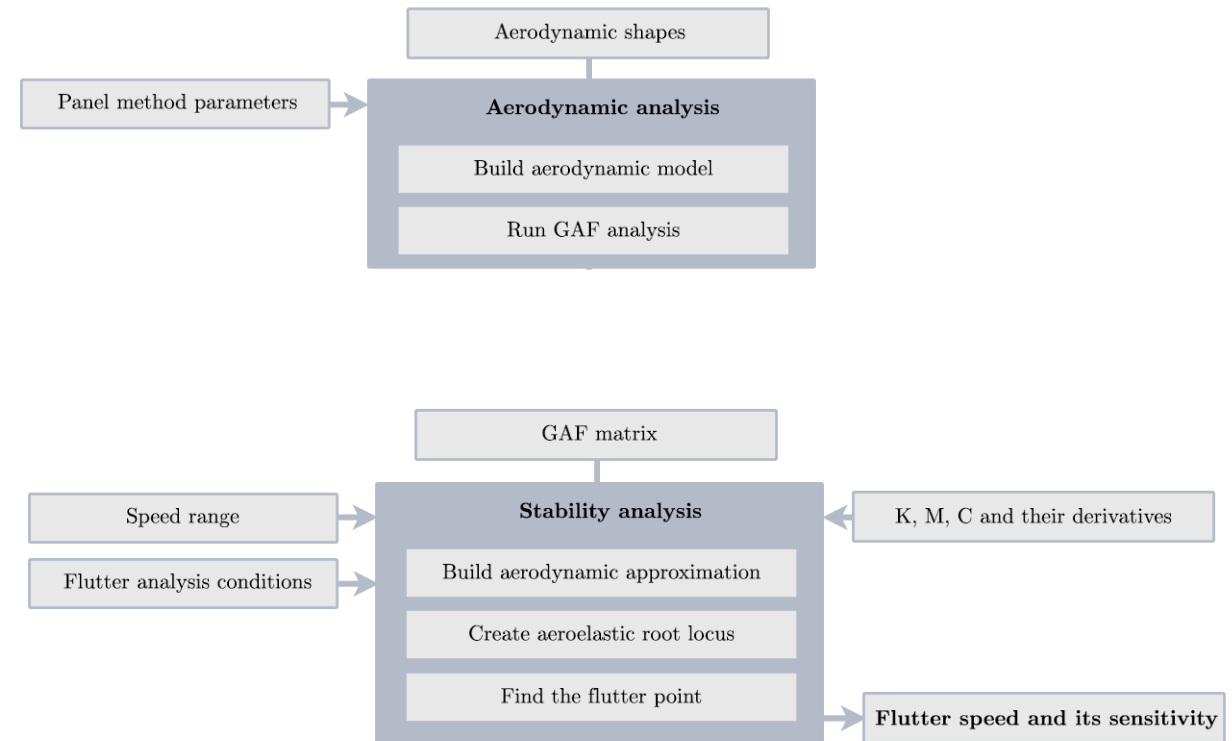
Structural and aerodynamic Goland+ grid torsion mode comparison

3. FAEDO

AERODYNAMIC AND STABILITY ANALYSIS

The aerodynamic analysis has been performed by means of an **unsteady panel method** that formerly goes under the name of GAF analysis in the framework. [6]

The stability analysis computes the **finite state approximation** for the aerodynamic results and provides the **flutter speed and its derivative** with a simple root locus method. [7]

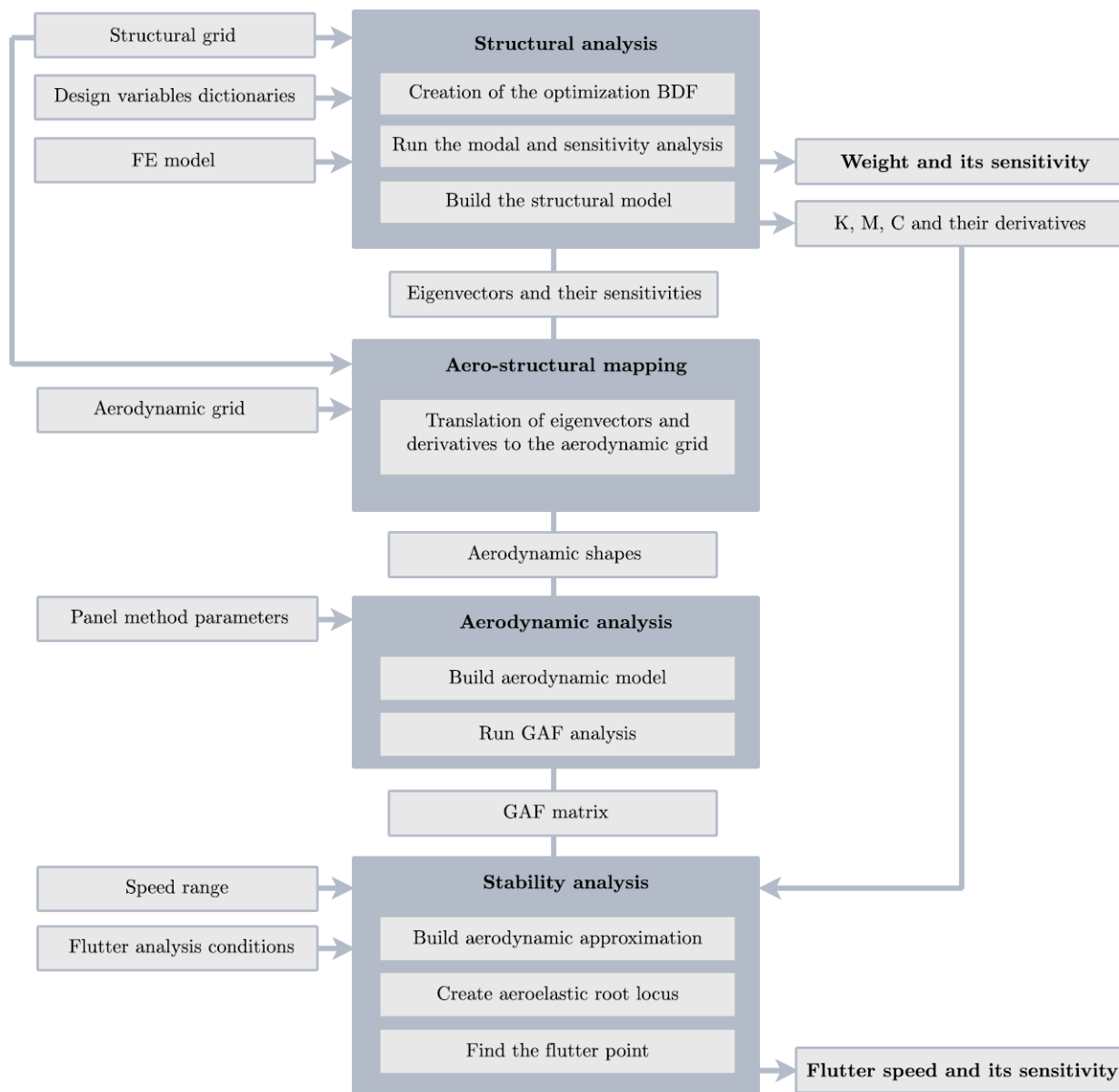


3. FAEDO

Overview of the framework

- Eases the task of **evaluating aeroelastic responses in optimization problems.**
- Capable of computing the **flutter speed and sensitivity.**
- **Integration of NOI** in the structural analysis section.
- Requires the **structural and aerodynamic grid.**
- Solves the **aerodynamic analysis** based on the **GAF method.**
- Possibility to be **coupled with an optimization platform.**

OpenMDAO [8]



4. CASES OF STUDY

Objectives

- Verifying **NOI's integration** in FAEDO.
- Check the **proper flow of information** inside **FAEDO**.
- **Assessment of FAEDO** when computing the **aeroelastic constraint and its sensitivity**.
- **Coupling of FAEDO and OpenMDAO**.

DOE for the flutter speed derivatives

Test case focused on verifying that the flutter speed derivatives computed with respect the design variables are reliable and accurate enough.

Optimization of the Goland+ model

Optimization process taking the mass as objective function and including a constraint on the flutter speed. The selected design variables represent the set of lumped masses that compose the front and rear spars.

Optimization of the Goland beam model

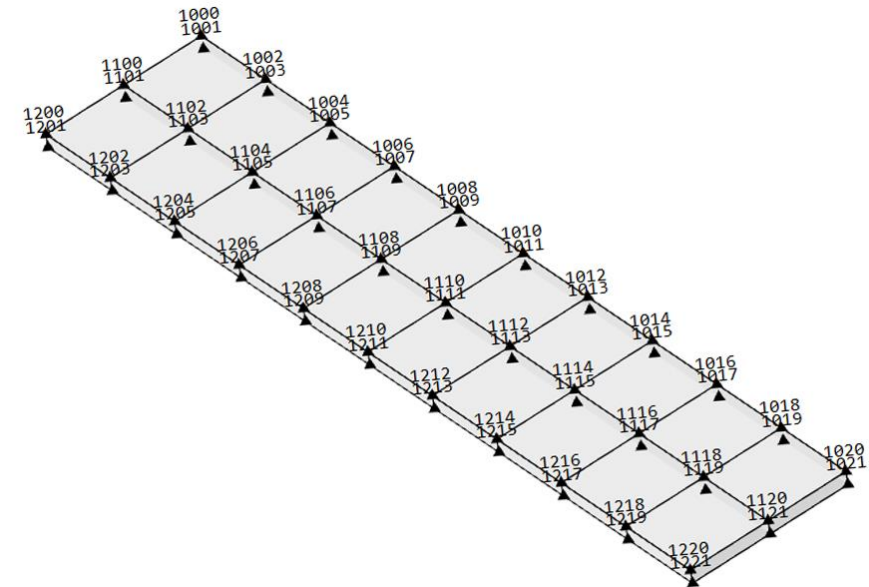
Optimization of the classic Goland wing mass modifying its cross-sectional area and restricting the flutter speed within a given bounds.

4. CASES OF STUDY

FINITE ELEMENT MODELS

GOLAND+ MODEL [9]

- **Variation of the classic Goland wing model.**
- **Wing modeled with CQUAD elements.**
- **Includes lumped masses** to get a certain aeroelastic response.
- **Used to assess the lumped masses as design variables.**
- **Flutter speed of 119.09 m/s.**

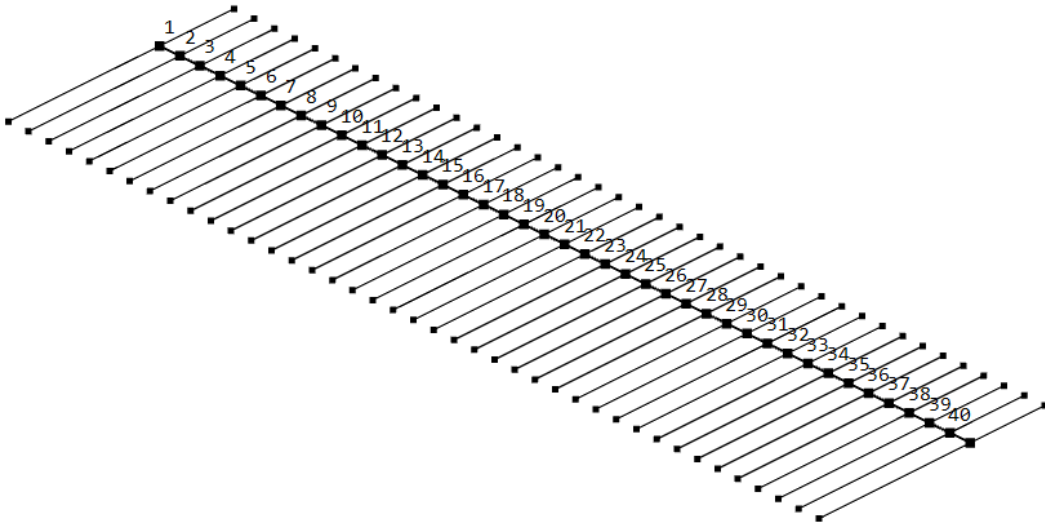


FE model identifier	Value
1000, 1001, 1020, 1021	14.338 <i>kg</i>
1002 ... 1019	28.677 <i>kg</i>
1100, 1101, 1120, 1121	28.780 <i>kg</i>
1102 ... 1119	57.561 <i>kg</i>
1200, 1201, 1220, 1221	38.964 <i>kg</i>
1202 ... 1219	77.928 <i>kg</i>

GOLAND+ lumped masses values

4. CASES OF STUDY

FINITE ELEMENT MODELS



Property	Value	Property	Value
A	0.01323 m^2	Young Modulus	71.02 GPa
I_1	0.00262 m^4	Shear Modulus	25.9 GPa
I_2	0.0001396 m^4	Poisson ratio	0.35
J	$3.809 \cdot 10^{-5} \text{ m}^4$	Density	2700 kg/m ³

Goland beam model properties

GOLAND BEAM MODEL [4]

- Replicates the classic Goland wing behavior.
- Wing modeled with CBEAM elements.
- Allows defining the distance between the elastic and the inertial axis.
- Used to assess the element properties as design variables.
- Flutter speed of 154.8 m/s.

4. CASES OF STUDY

DESIGN OF EXPERIMENTS

Objectives

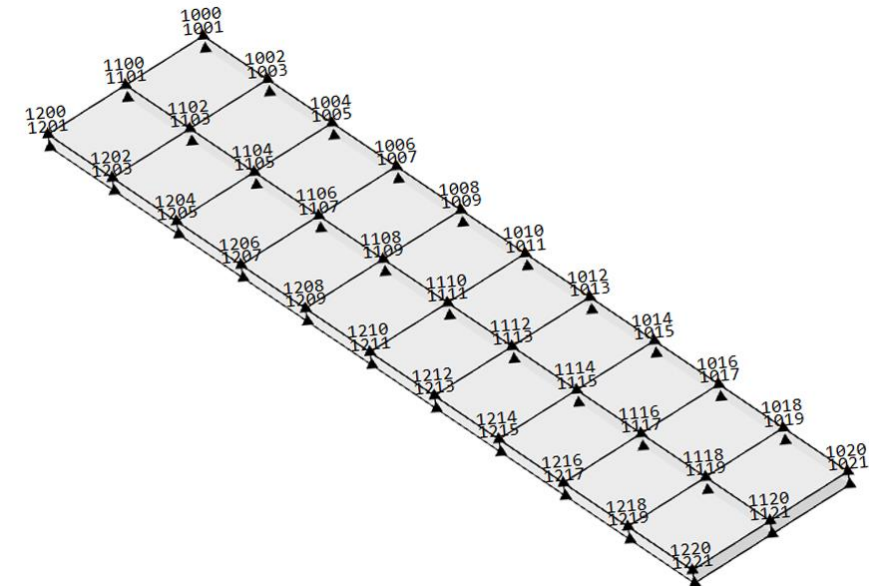
Verifying that the **flutter speed derivatives** computed by the optimization framework are **reliable and accurate enough**.

Methodology

Comparison of the **analytical flutter speed derivatives** provided by **FAEDO** with the ones obtained with **finite differences**.

Set-up

Definition of a **toy optimization problem** with a **set of the lumped masses of the Goland+ model as design variables**.



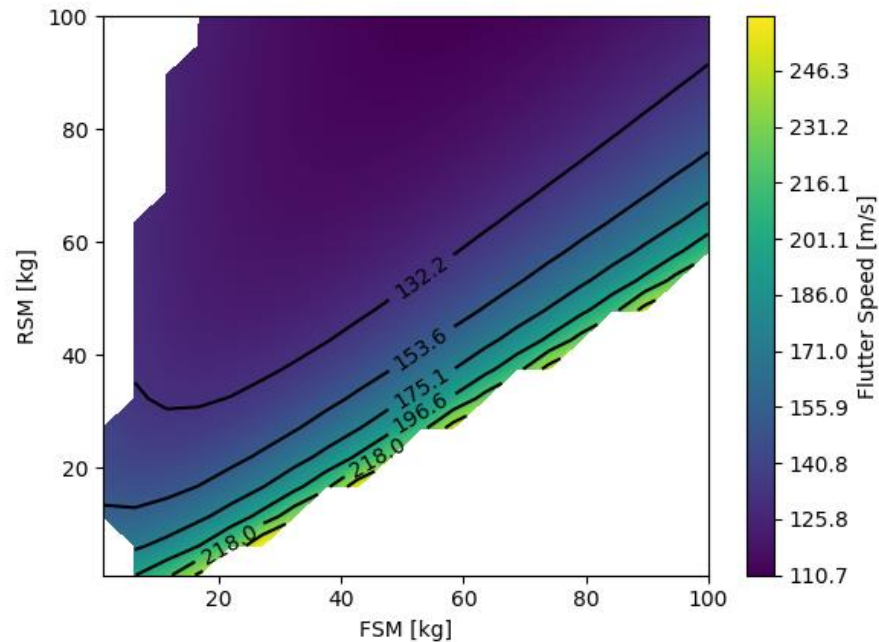
Design variable	Set of masses identifiers
FSM	1000 ... 1021
RSM	1200 ... 1221

DOE design variables definition

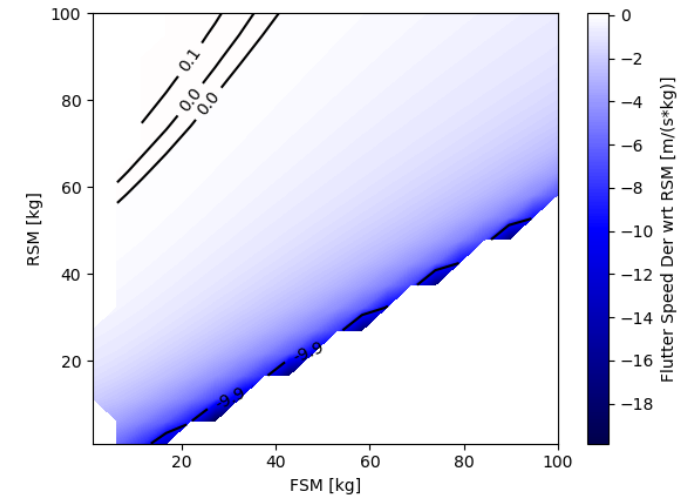
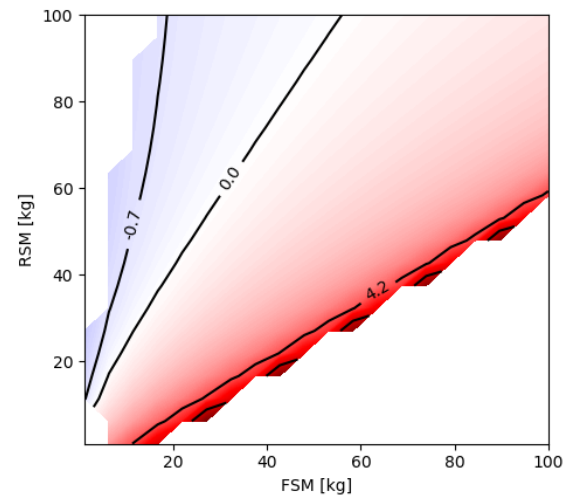
4. CASES OF STUDY

DESIGN OF EXPERIMENTS

Mapping of the flutter speed



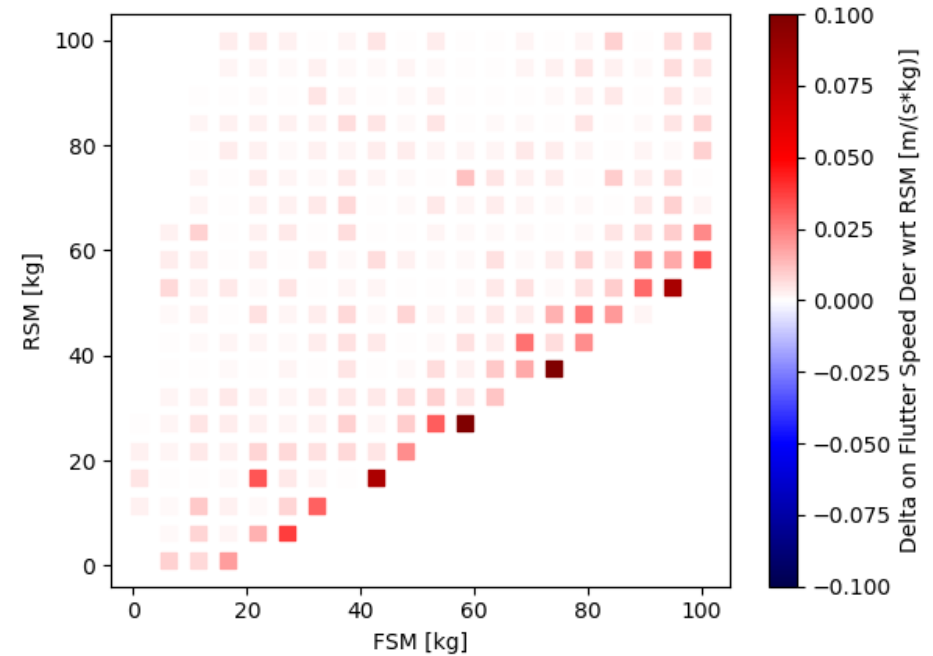
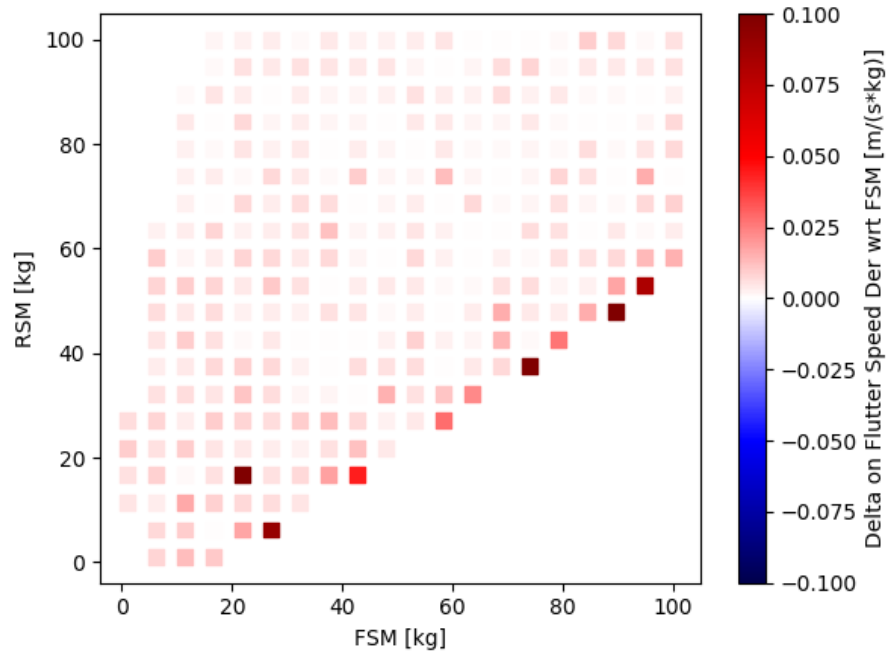
Analytical derivatives provided by FAEDO



4. CASES OF STUDY

DESIGN OF EXPERIMENTS

Comparison between the analytical and FD derivatives



4. CASES OF STUDY

OPTIMIZATION

Objectives

Verifying that FAEDO coupled with OpenMDAO is able of properly carrying out an optimization with aeroelastic constraint.

Optimization of the Goland+ model

Optimization process taking the mass as objective function and including a constraint on the flutter speed. The selected design variables represent the set of lumped masses that compose the front and rear spars.



Objective function: Mass of the Goland+ model.

Design variables: Lumped masses that compose the front and rear spar.

Aeroelastic constraint: Flutter speed between 100 and 140 m/s.

Optimization of the Goland beam model

Optimization of the classic Goland wing mass modifying its cross-sectional area and restricting the flutter speed within a given bounds.



Objective function: Mass of the Goland beam model.

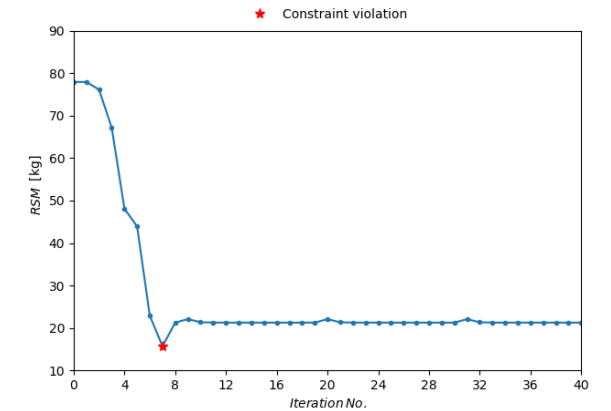
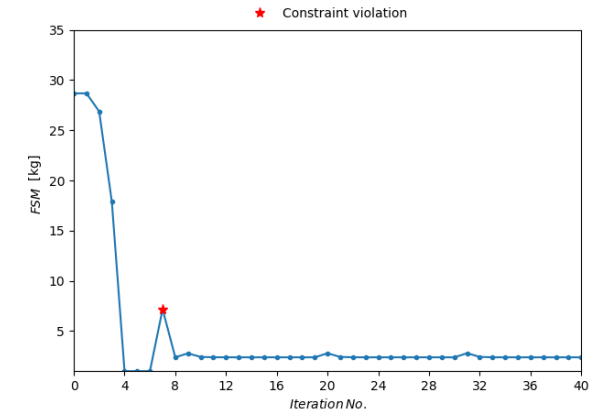
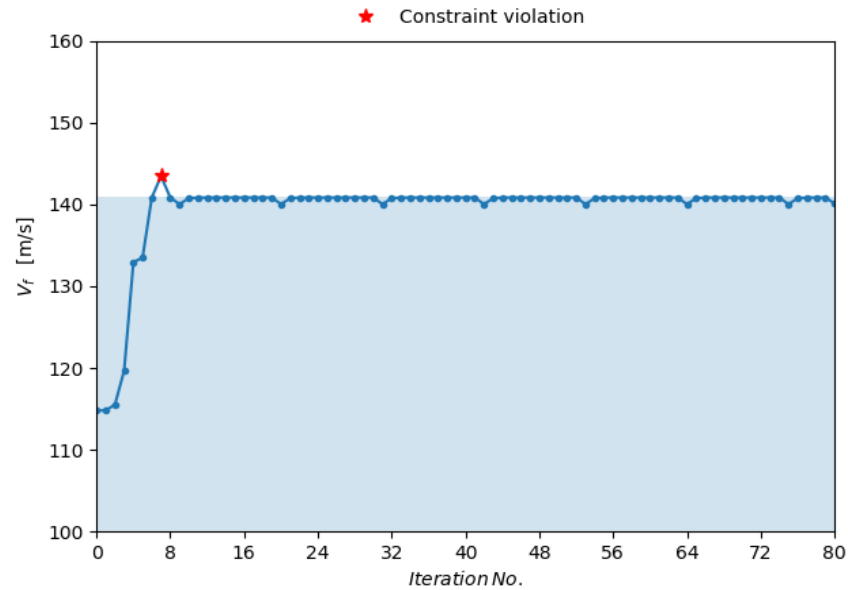
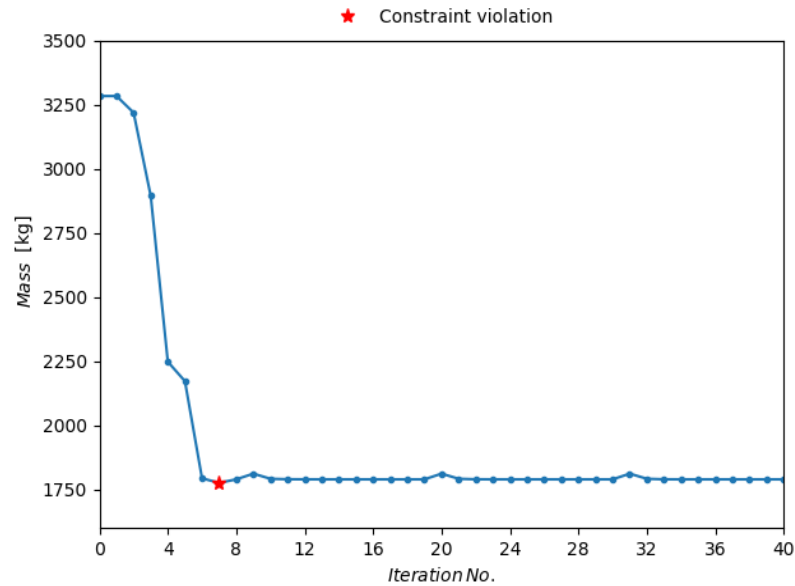
Design variables: Cross-sectional area of the beam.

Aeroelastic constraint: Flutter speed between 100 and 140 m/s

4. CASES OF STUDY

OPTIMIZATION OF THE GOLAND+ MODEL

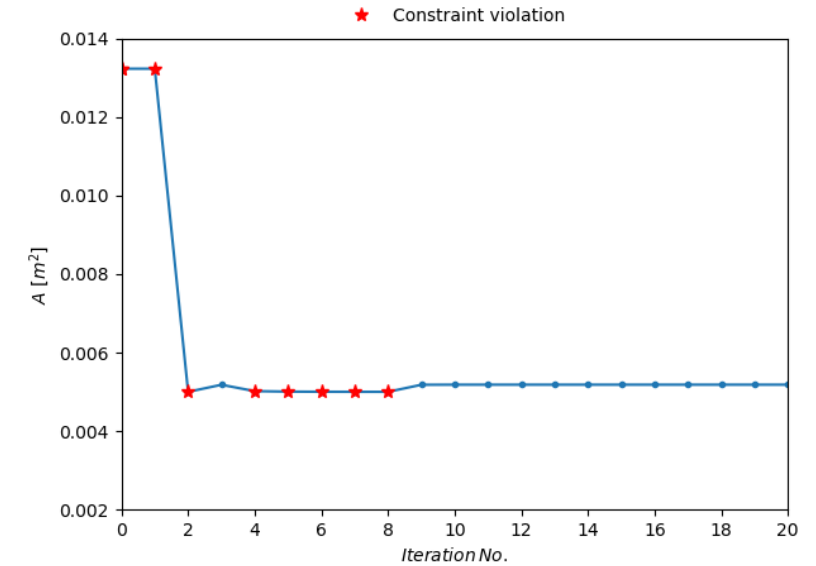
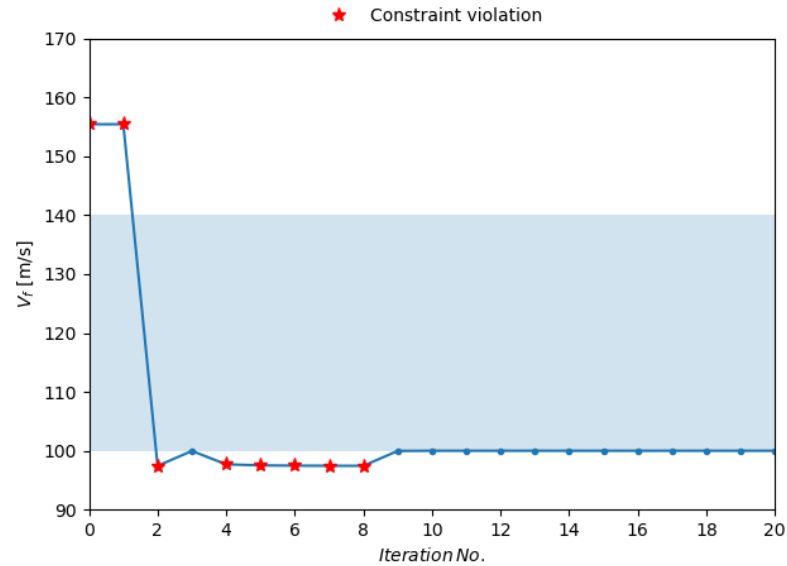
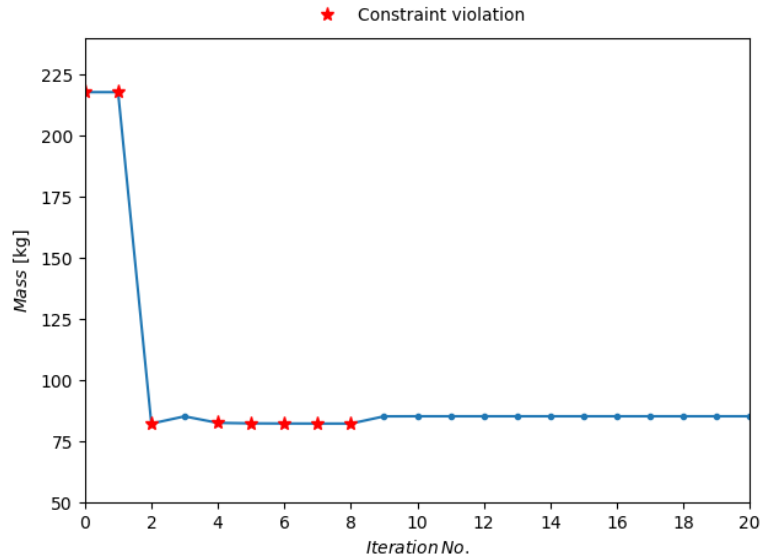
Parameter	Initial value	Final value	% change
m	3283.33 kg	1812.359 kg	-44%
FSM	28.677 kg	2.787 kg	-90%
RSM	77.928 kg	22.097 kg	-77%
V_f	114.808 m/s	140 m/s	+22%



4. CASES OF STUDY

OPTIMIZATION OF THE GOLAND BEAM MODEL

Parameter	Initial value	Final value	% change
m	217.75 kg	85.29 kg	-61%
A	0.0132 m^2	0.0052 m^2	-61%
V_f	155.44 m/s	100 m/s	-36%



5. CONCLUSIONS

NOI

- Tool able to **carry out structural and sensitivity analysis**.
- Possibility to **write optimization, modal and flutter input files**.
- Able to **post-process Nastran results** stored in a f06 or OP2 files.



FAEDO

- Framework capable of **solving optimization problems with a flutter speed constraint**.
- Possibility to **link FAEDO with any optimization platform**.

Development of **new methods** capable of **dealing with automatization**, and which provide a **high degree of robustness**.



Integration in the aircraft design process

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- [4] Marco Berci and Rauno Cavallaro. “A Hybrid Reduced-Order Model for the Aeroelastic Analysis of Flexible Subsonic Wings—A Parametric Assessment”. In: *Aerospace 5.3* (2018), p. 76.
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THANK YOU FOR YOUR ATTENTION

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